

# Enhancing Chemical Contrast: Latest Trends in Hyperspectral Image Analysis

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# Hyperspectral Image Analysis

- Images where every pixel contains complete spectrum
  - Possible with nearly every type of spectroscopy and spectrometry
- Goal of analysis is usually to obtain maps of chemical species
  - Can be for specific analytes, elements or ...
  - Seldom have completely specific channels

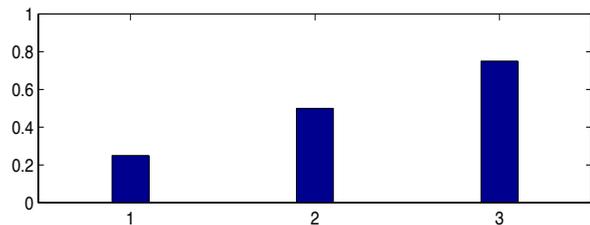
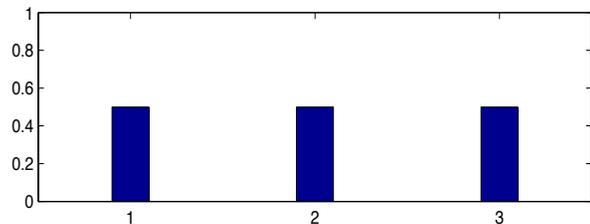
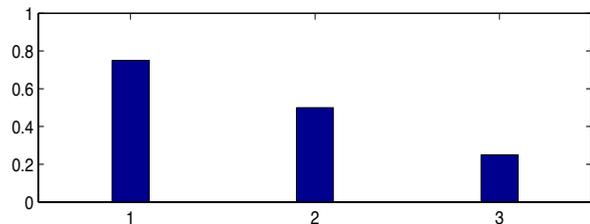
# Contrast Enhancing Methods

- Principal Components Analysis (PCA)
  - Nice pictures but not chemically meaningful
- Multivariate Curve Resolution (MCR)
  - Contrast constraints
- Independent Components Analysis (ICA)
  - Homeopathic ICA
- Other methods
  - Maximum Autocorrelation Factors (MAF)
  - Maximum Difference Factors (MDF)
  - Clutter Filters

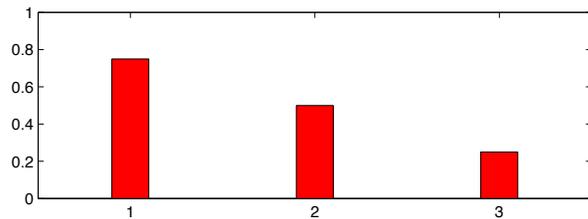
# Multivariate Curve Resolution

- MCR attempts to resolve mixtures into pure spectra and concentrations without using prior information
  - MCR typically solved with Alternating Least Squares (ALS)
  - Typically solved with constraints, *e.g.* non-negativity, continuity
  - Other variants and names: SIMPLISMA, Purity, SMCR, SMMA

# Mixtures

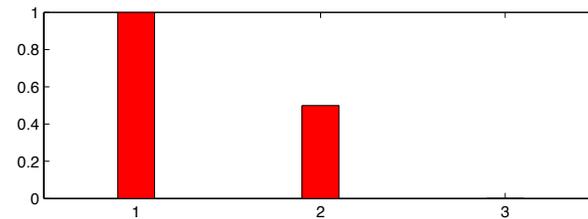


## Pure Component 1a



1.0      0.0

## Pure Component 1b



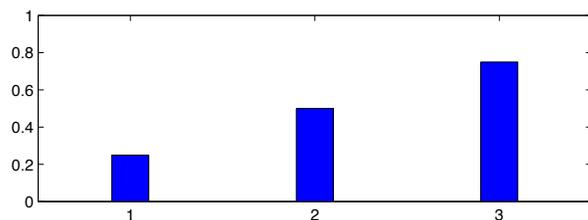
0.75      0.25

0.5      0.5

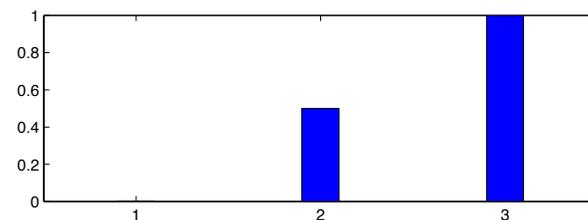
0.5      0.5

0.0      1.0

0.25      0.75



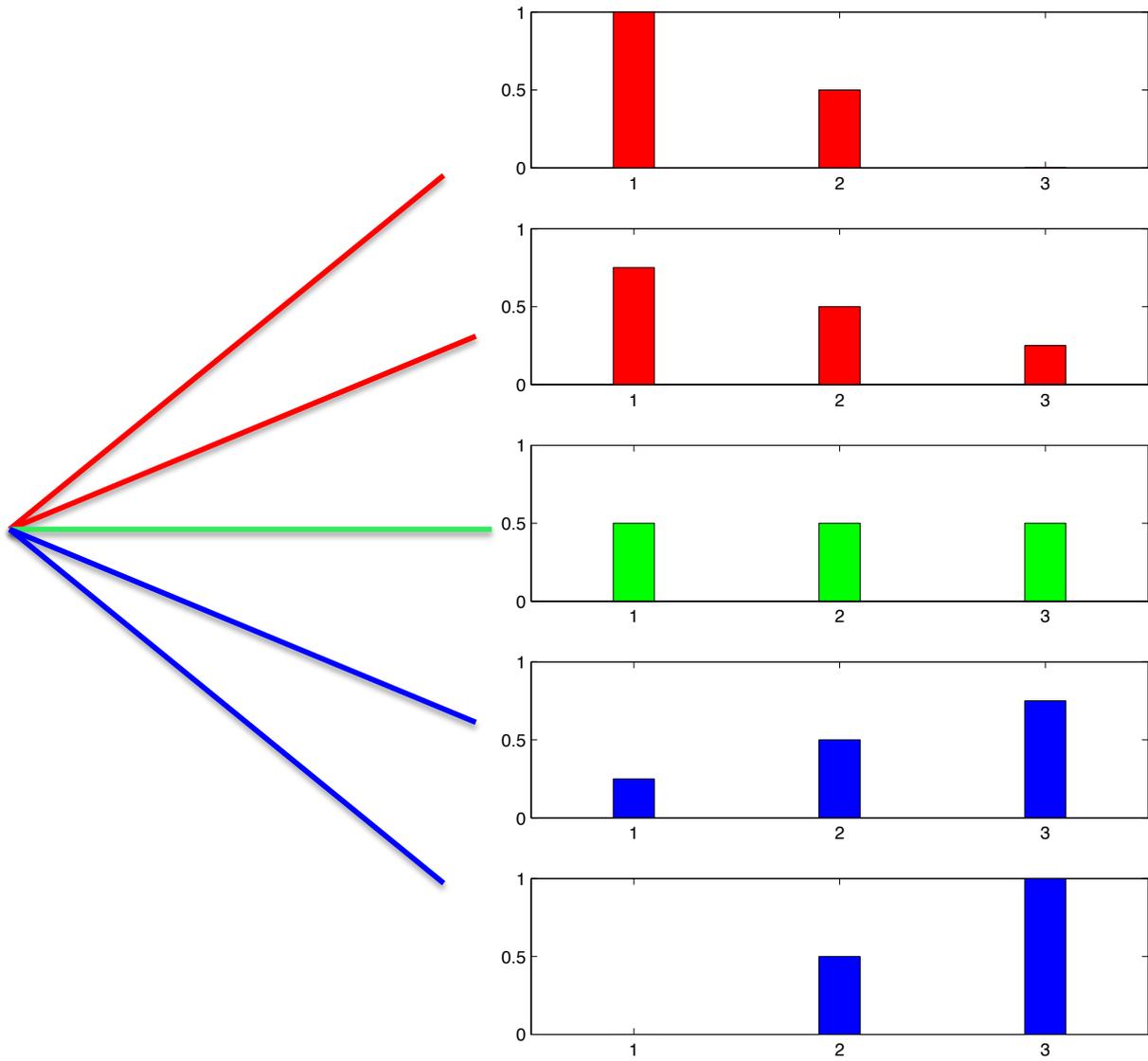
## Pure Component 2a



## Pure Component 2b

# Observations

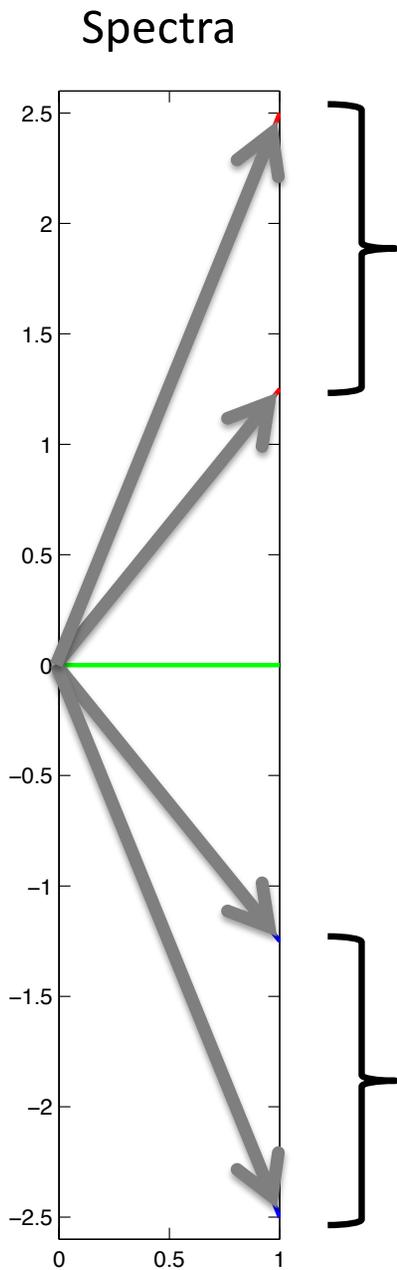
- “Contrast” is present in data set
- High contrast in resolved contributions gives low contrast in resolved spectra
  - Assumes pure samples
- High contrast in resolved spectra gives low contrast in resolved contributions
  - Assumes pure variables



Solution Range A

Solution Range B

# Solution Range



Solution Range A

Pure sample solution

Pure variable solution

Solution Range B

# Solution Range

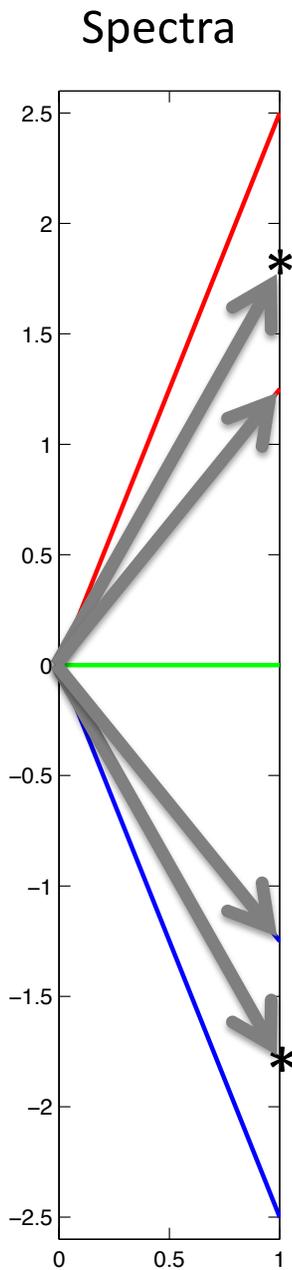
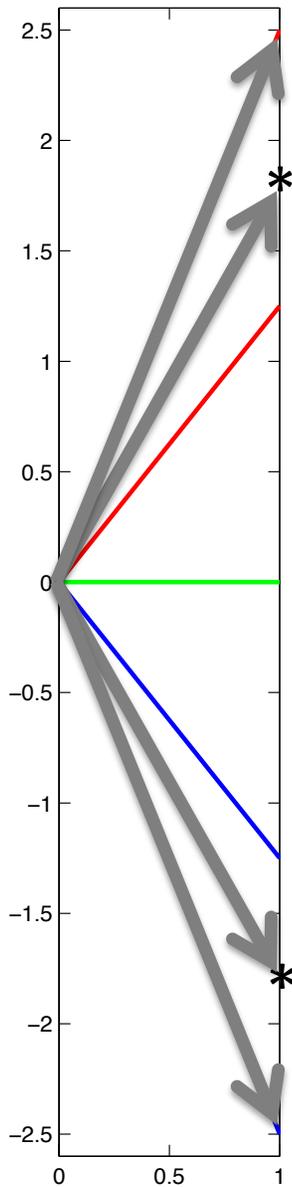


Image (concentration)  
contrast

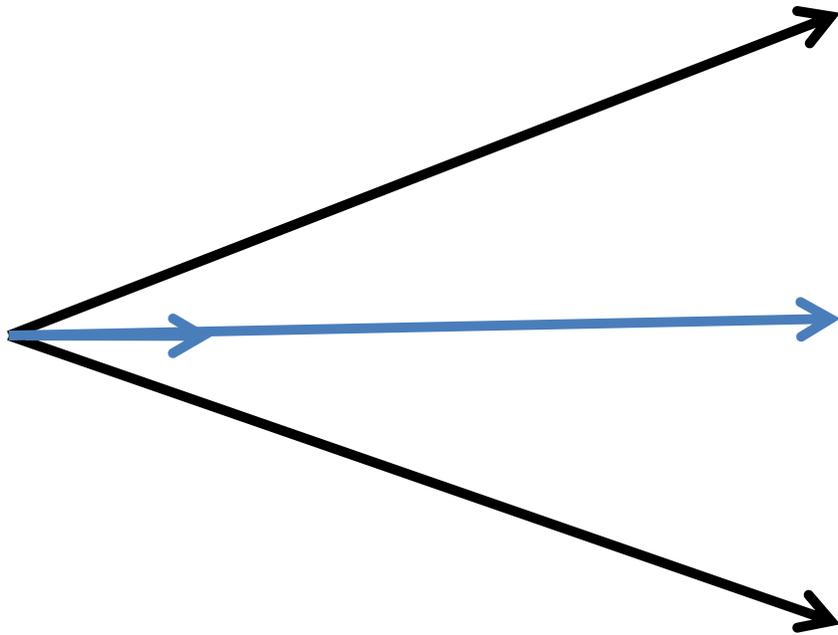
# Solution Range

Spectra

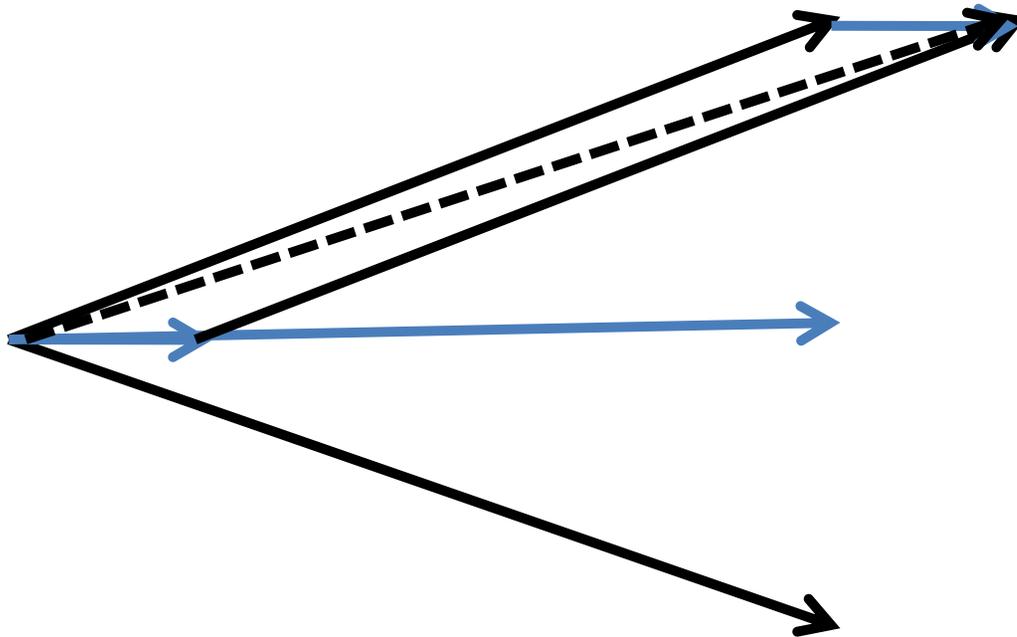


Spectral contrast

# Decreasing Angles

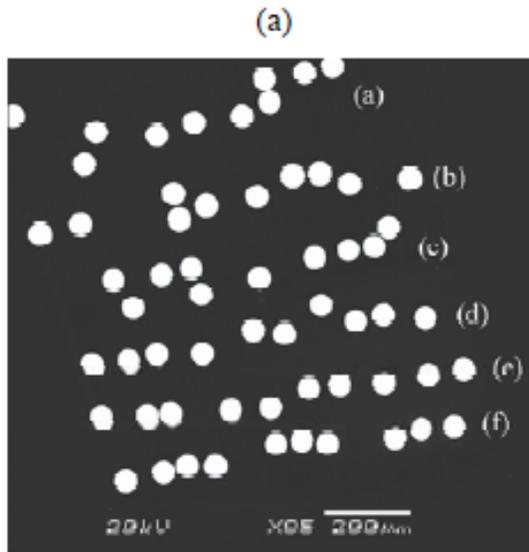


# Decreasing Angles



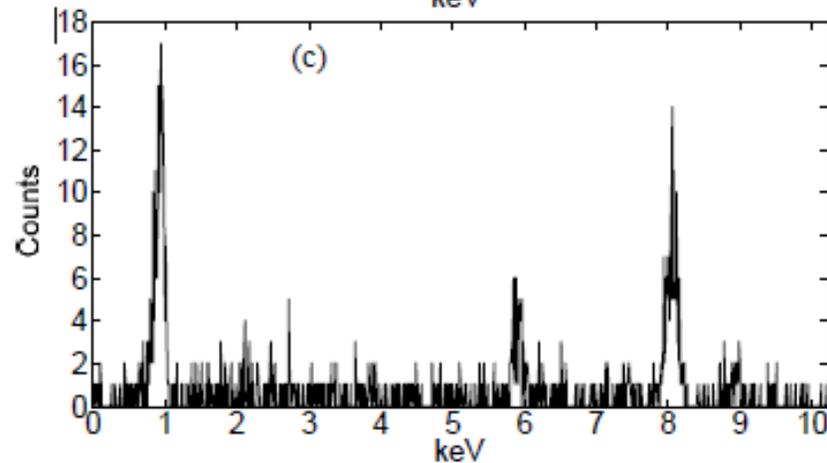
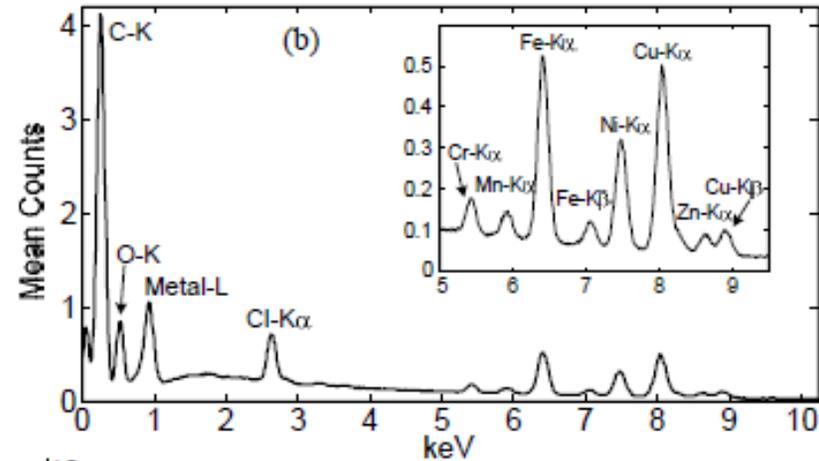
Can be done on either the spectra (sample)  
or concentration (variable) mode!

# Energy dispersive spectrometry (EDS)



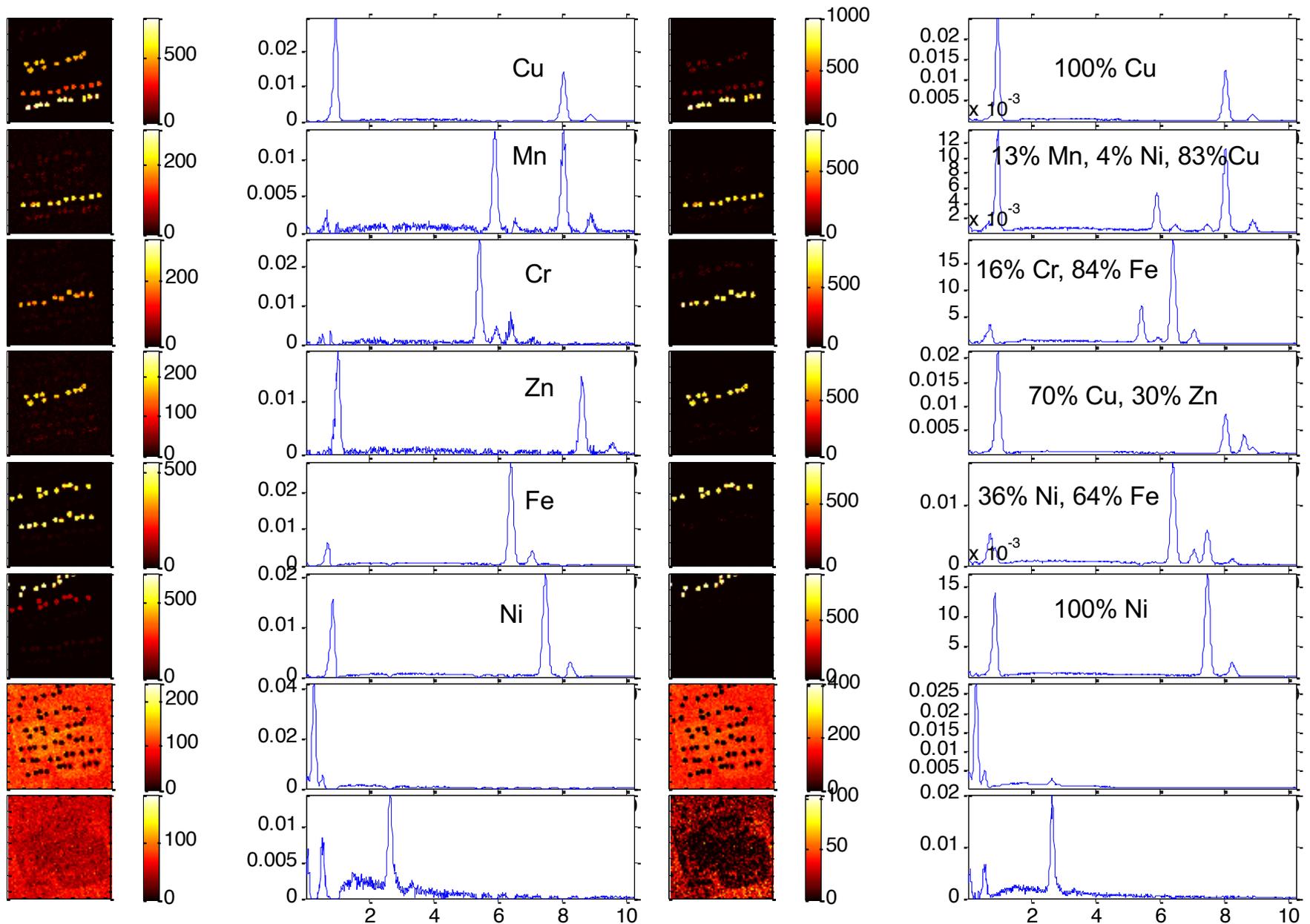
## Wire Compositions

- (a) 100% Ni
- (b) 36% Ni, 64% Fe
- (c) 70% Cu, 30% Zn
- (d) 16% Cr, 84% Fe
- (e) 13% Mn, 4% Ni, 83% Cu
- (f) 100% Cu



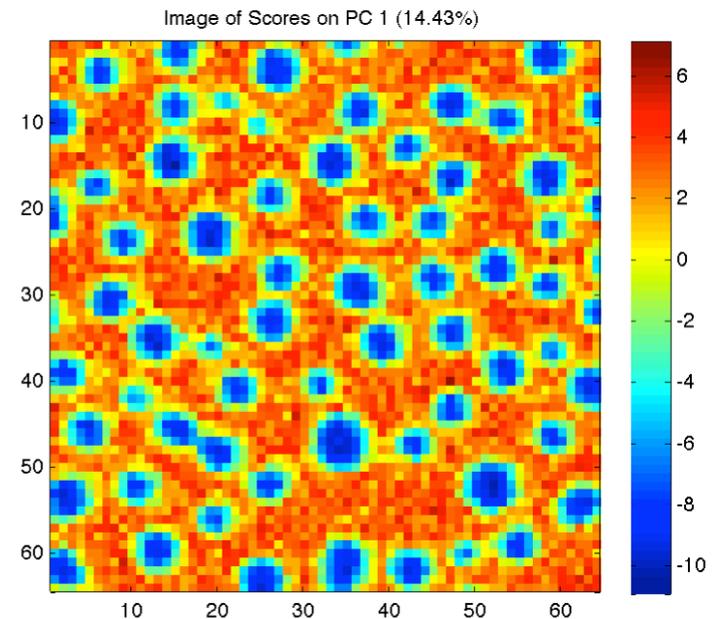
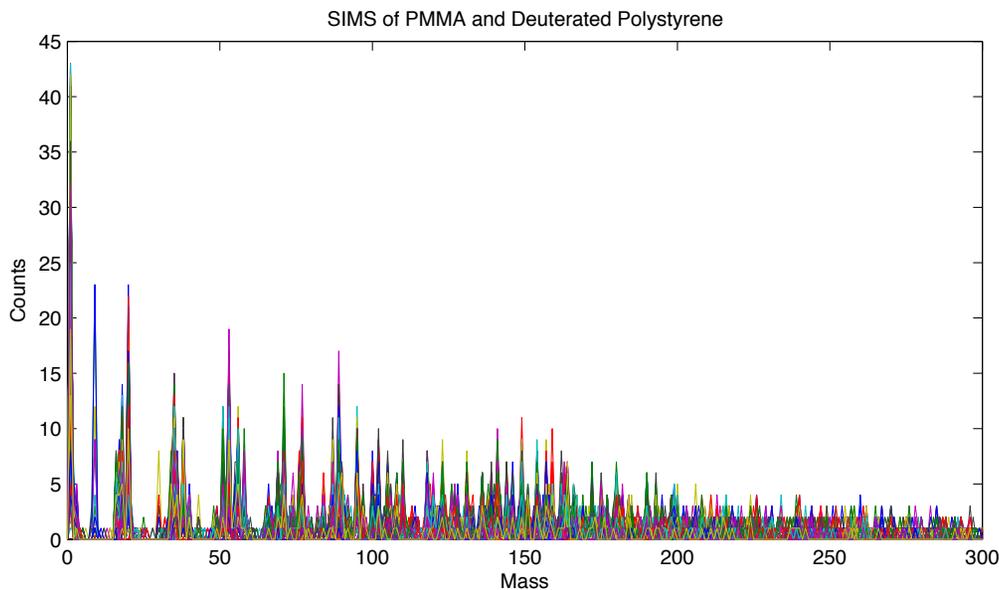
M.R. Keenan, Multivariate Analysis of Spectral Images Composed of Count Data, In: H. F. Grahn, P. Geladi (eds.), Techniques and Applications of Hyperspectral Image Analysis, pp. 89-126, Wiley & Sons, 2007

# Spectral contrast    Image contrast

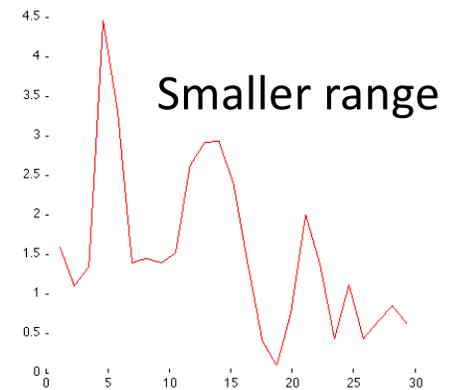
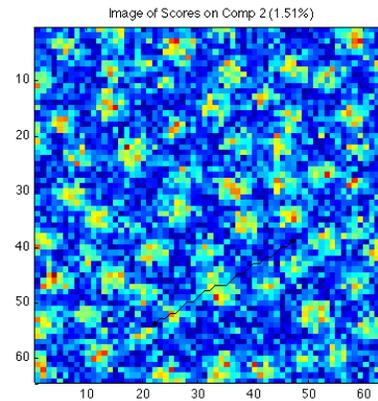
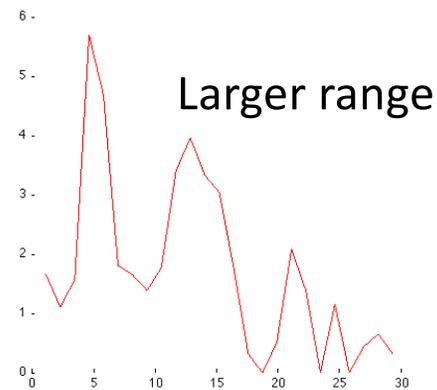
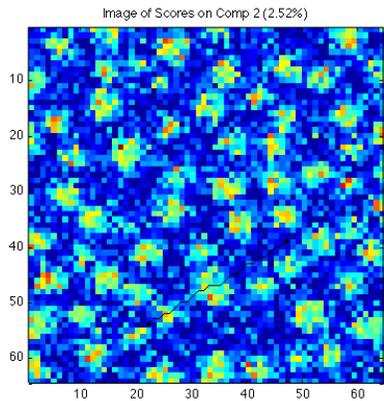
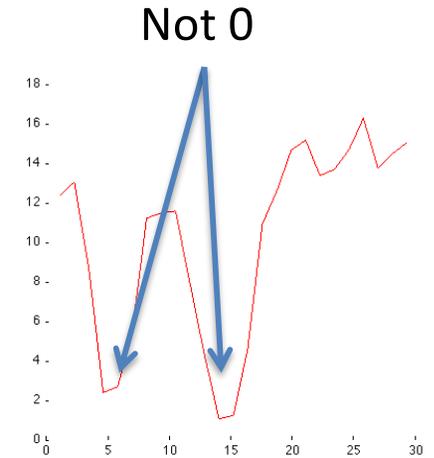
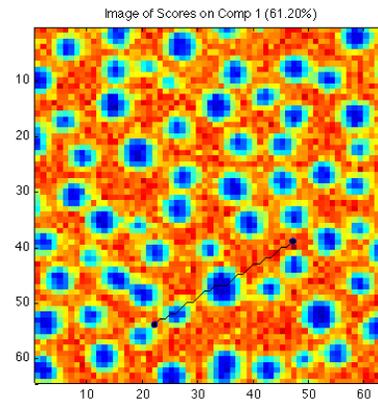
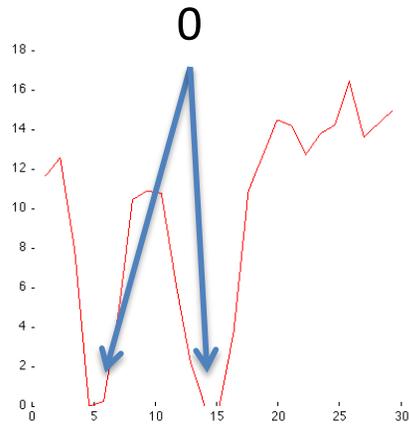
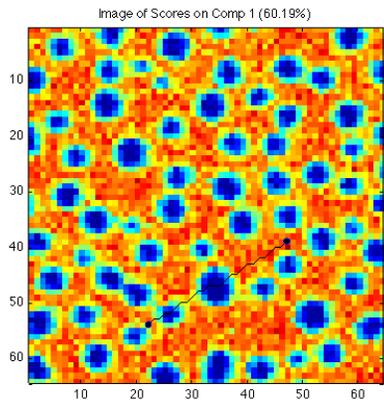


# TOF-SIMS of PMMA and Deuterated Polystyrene

- Positive SIMS spectrum on 64x64 grid
- 301 mass channels (AMU)
- Thanks to Physical Electronics for the data



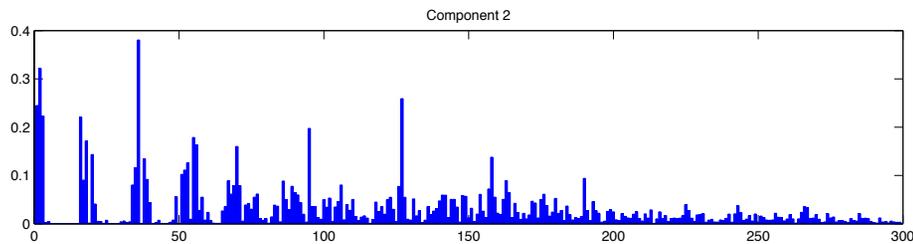
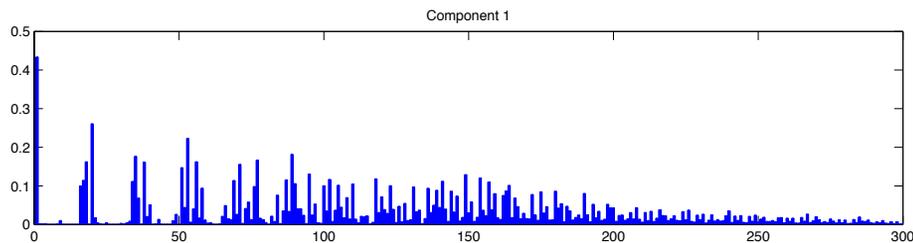
# MCR Solutions for Concentrations



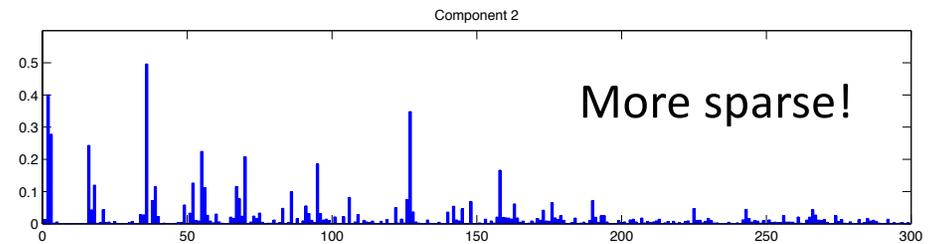
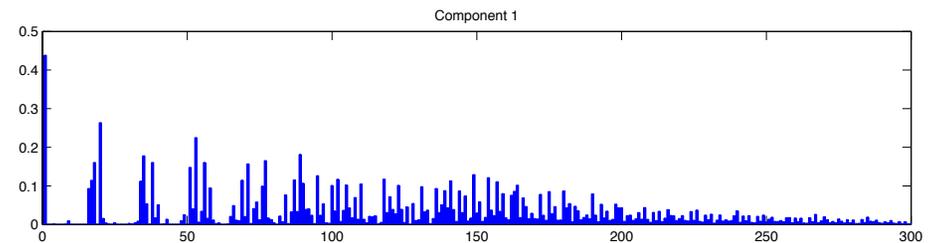
Concentration Contrast

Spectral Contrast

# MCR Solutions for Spectra



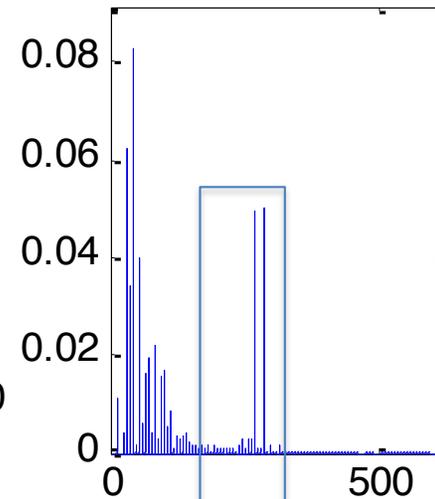
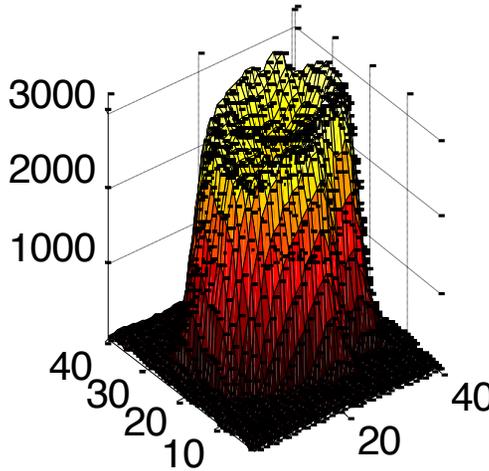
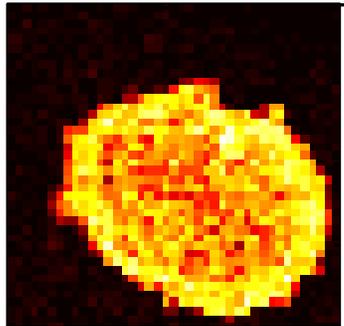
Concentration Contrast



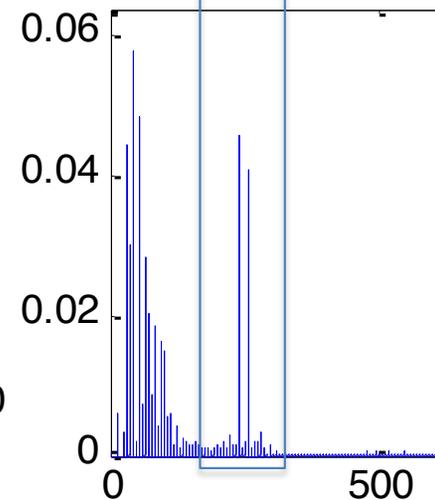
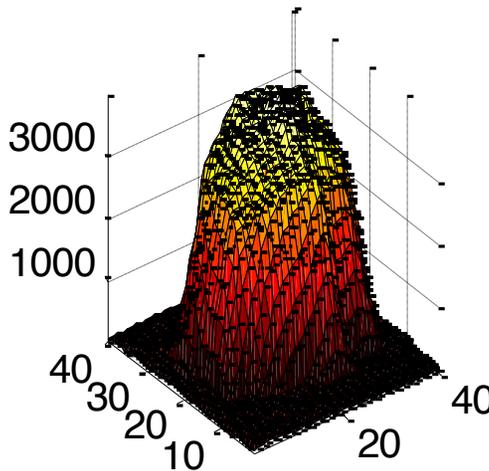
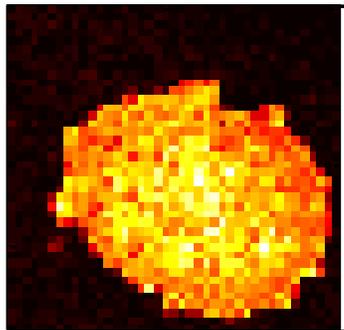
Spectral Contrast

Note: Poisson scaled solutions!

# Spectral contrast

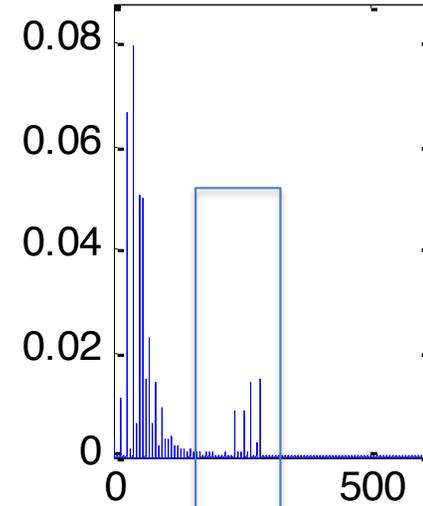
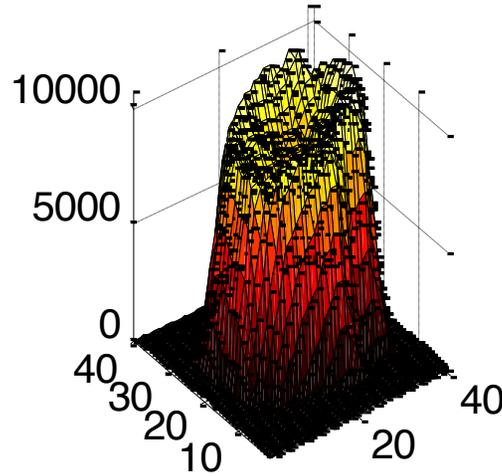
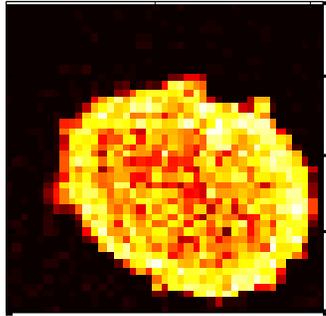


But concentration images  
nearly identical

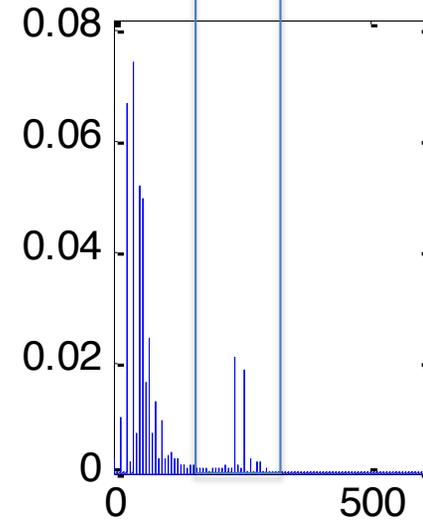
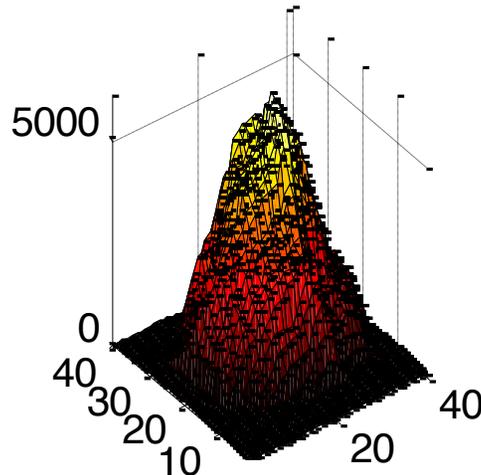
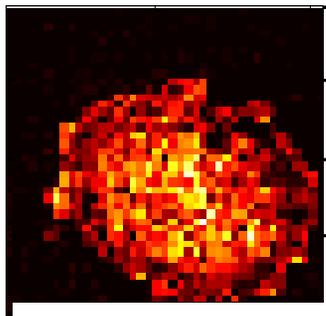


Well resolved peaks!

# Image contrast



Large contrast in concentration images



But peaks no longer resolved!

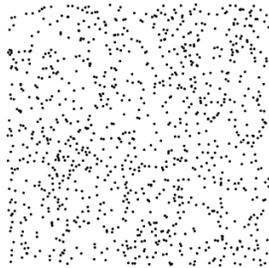
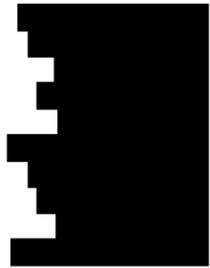
# Contrast Constraint Conclusions

- Contrast in the spectra or images (concentrations) is problem dependent
  - Often one of the extremes is “correct” solution
  - Can be implemented as a constraint in MCR
- Ability to maximize spectral or concentration contrast helps elucidate range in solutions

# Homeopathic ICA

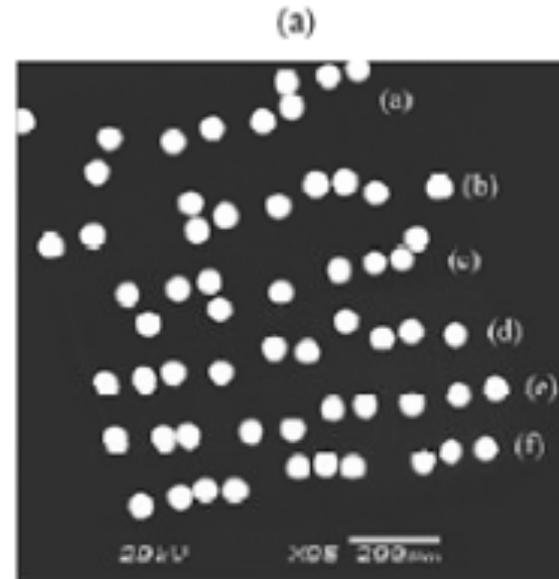
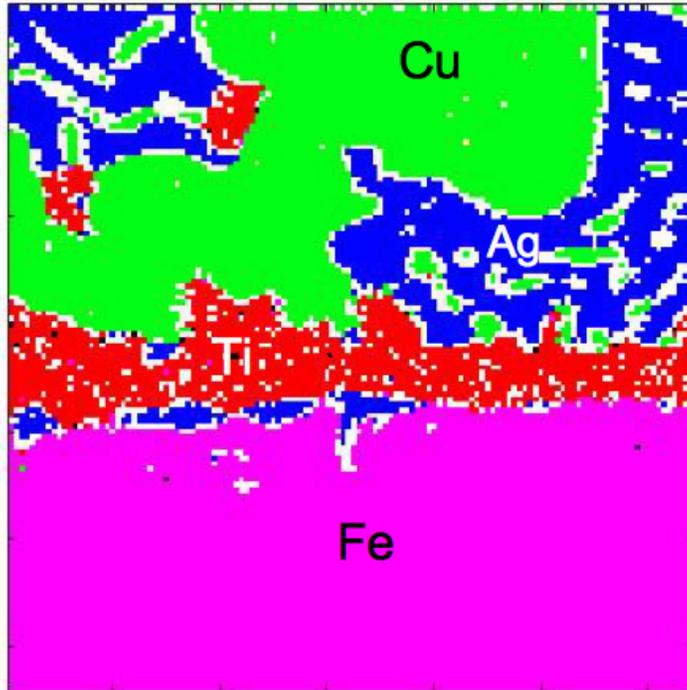
- Are principal components independent?
- Uncorrelated does not mean independent
- Orthogonal does not mean independent
- Independent variables *are* orthogonal and uncorrelated

# Homeopathic ICA



# Homeopathic ICA

map of individual components and mixtures



Wire Compositions

- (a) 100% Ni
- (b) 36% Ni, 64% Fe
- (c) 70% Cu, 30% Zn
- (d) 16% Cr, 84% Fe
- (e) 13% Mn, 4% Ni, 83%Cu
- (f) 100% Cu

# Homeopathic ICA

X1	X2	Prob.	Joint. Prob.	Marg. Prob.
1	0	X1=0, X2=0	1/4	$(1/2)^x(1/2)$
1	1	X1=0, X2=1	1/4	$(1/2)^x(1/2)$
0	0	X1=1, x1=0	1/4	$(1/2)^x(1/2)$
0	1	X1=1, X2=1	1/4	$(1/2)^x(1/2)$

X1	X2		Joint Prob.	Marg. Prob.
1	0	X1=0, X2=0	0	$(1/2)^x(1/2)$
1	0	X1=0, X2=1	1/2	$(1/2)^x(1/2)$
0	1	X1=1, X2=0	1/2	$(1/2)^x(1/2)$
0	1	X1=1, X2=1	0	$(1/2)^x(1/2)$

# Homeopathic ICA

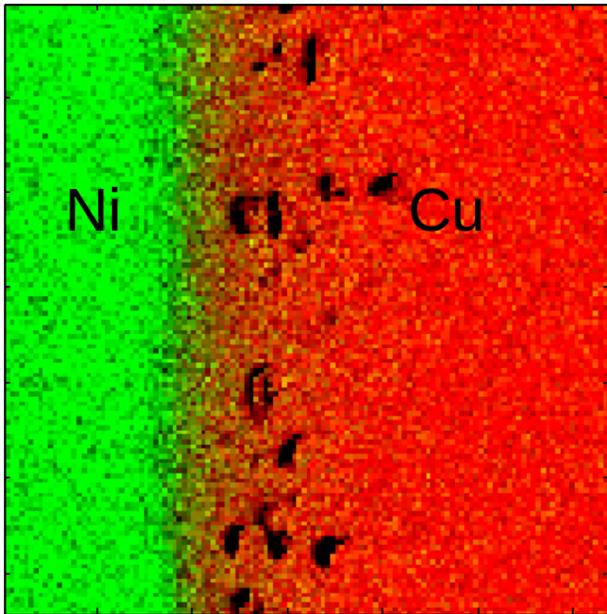
X1	X2		Joint Prob	Marg. Prob
1	0	X1=0, X2=0	8/12	$(10/12) \times (10/12)$
1	0	X1=0, X2=1	2/12	$(10/12) \times (2/12)$
0	1	X1=1, X2=0	2/12	$(2/12) \times (10/12)$
0	1	X1=1, X2=1	0	$(2/12) \times (2/12)$
0	0			
...	...			
0	0			

# Homeopathic ICA

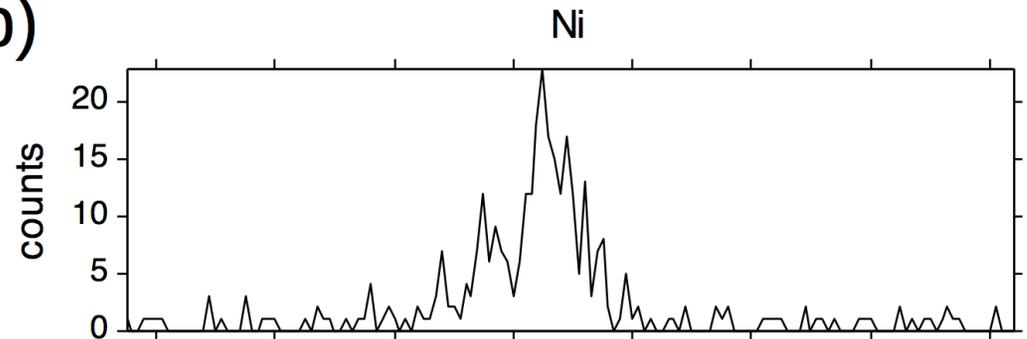
X1	X2		Joint Prob.	Marg. Prob
1	0	X1=0, X2=0	0.67	0.69
1	0	X1=0, X2=0	0.17	0.14
0	1	X1=1, X2=0	0.17	0.14
0	1	X1=1, X2=1	0	0.03
0	0			
...	...			
0	0			

# Ni and Cu System

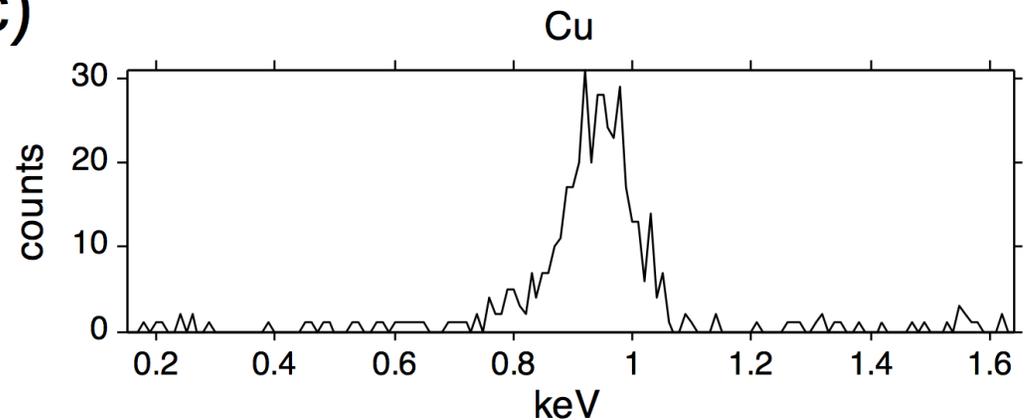
a)



b)



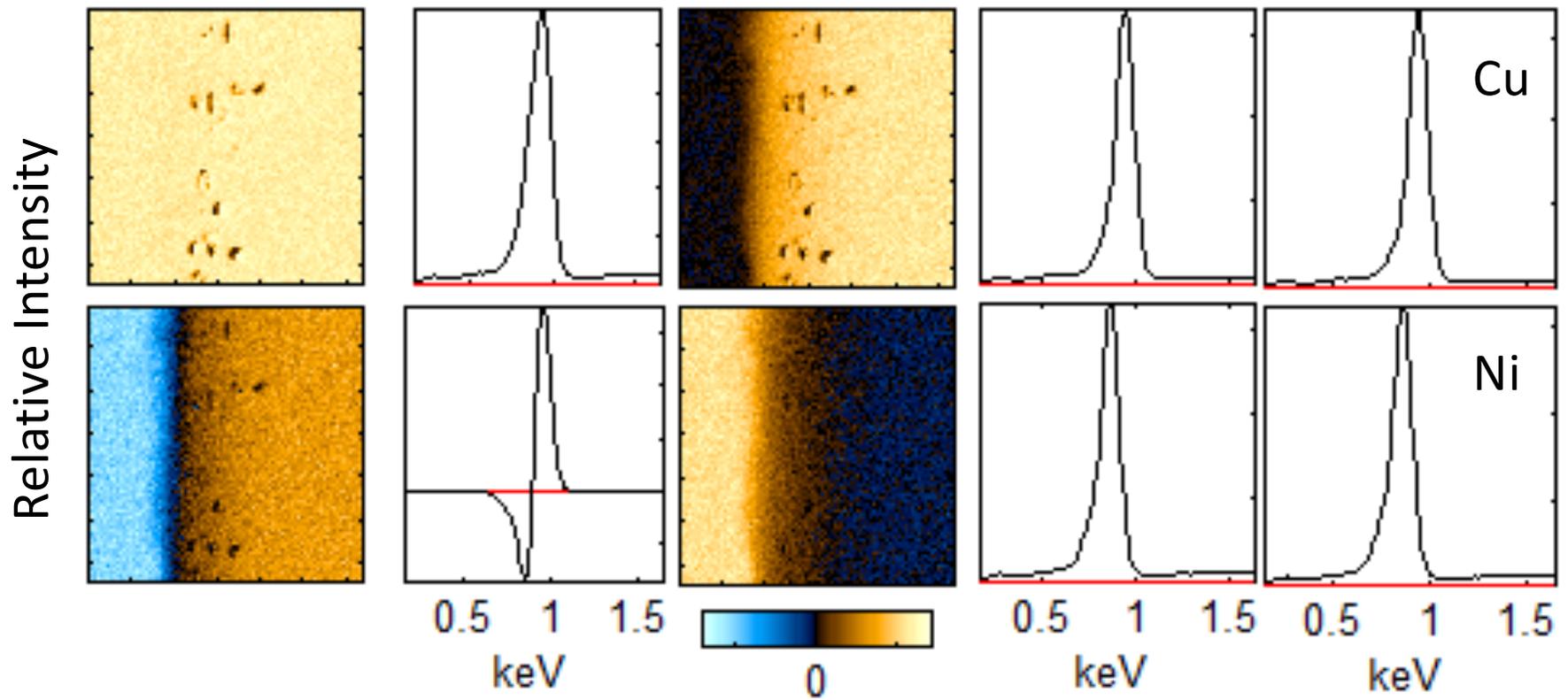
c)

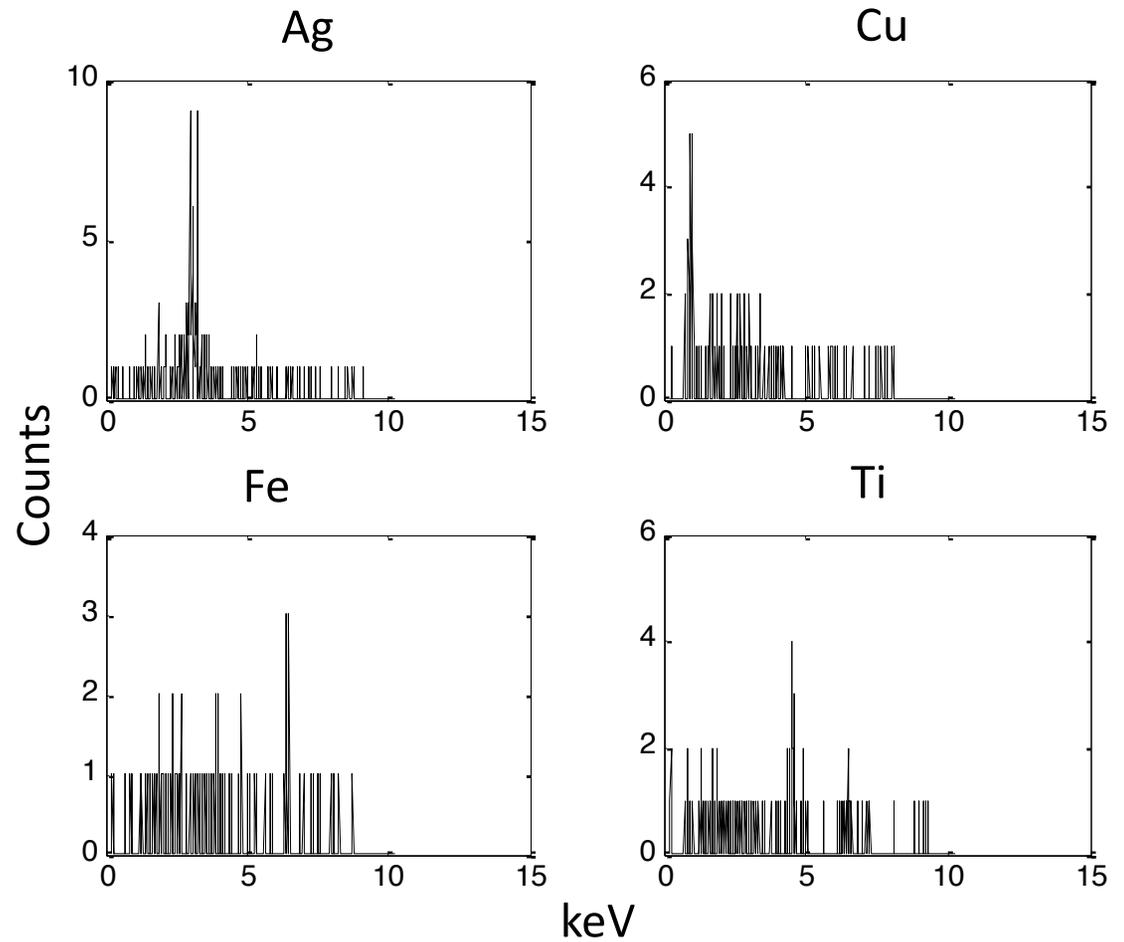
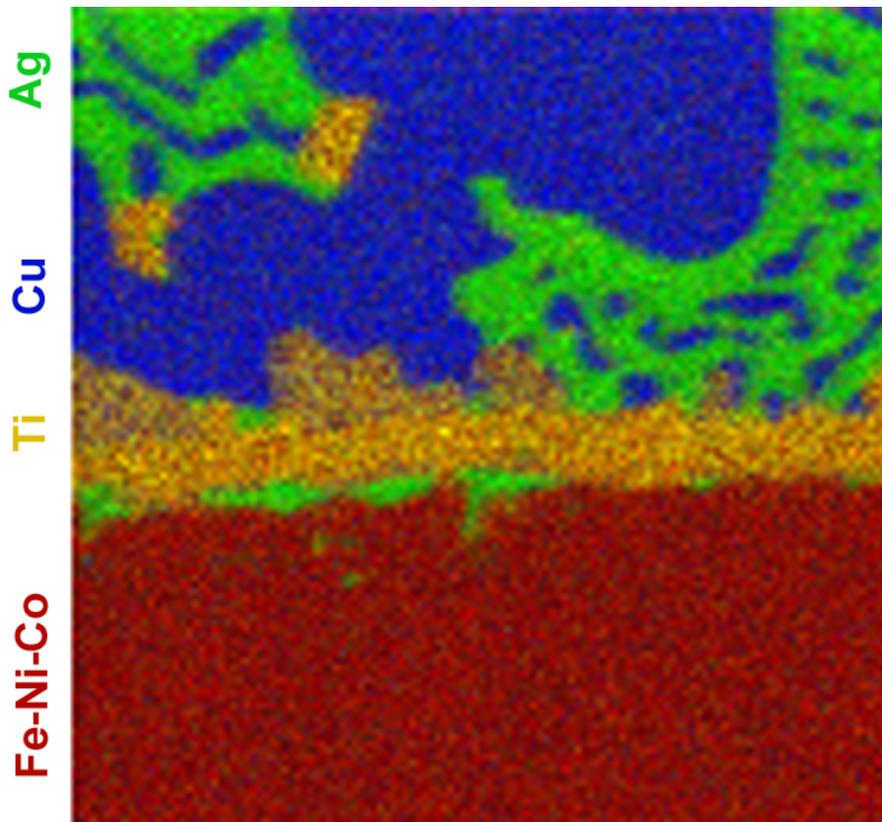


Energy dispersive X-ray spectrometry (EDS)  
128x127 pixels, 150 keV values

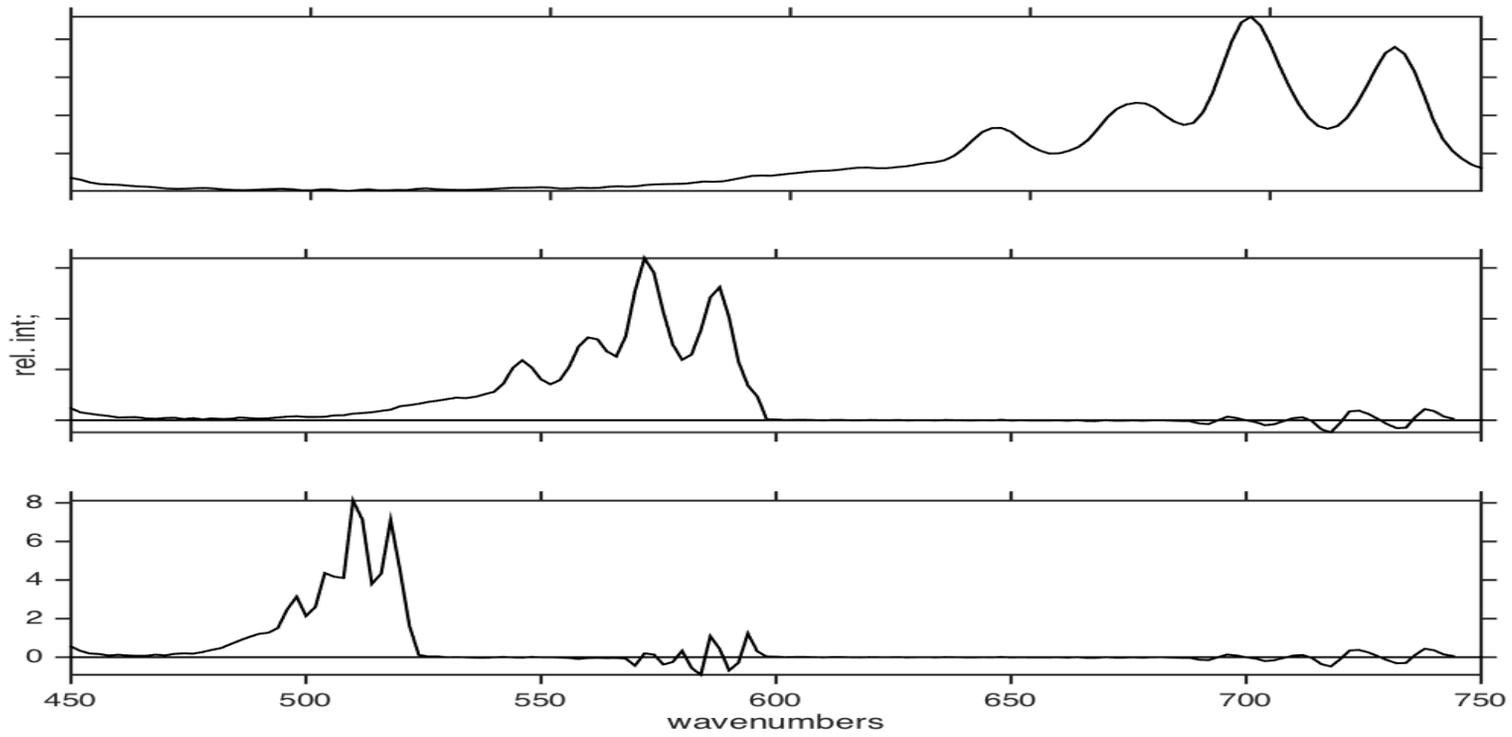
a) ICA original spectra

b) ICA 8x zero- appended data c) Reference

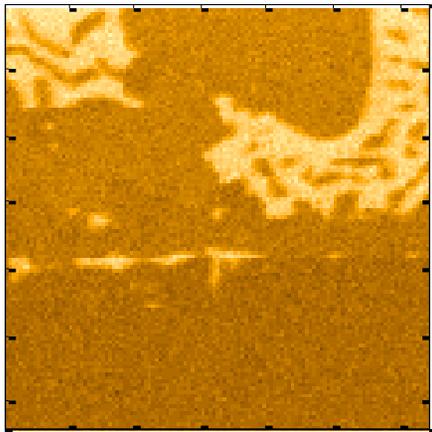




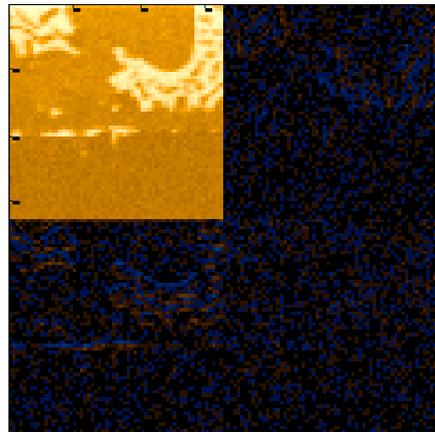
Energy dispersive X-ray spectrometry (EDS)  
128x128 pixels, 1005 keV values



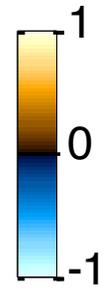
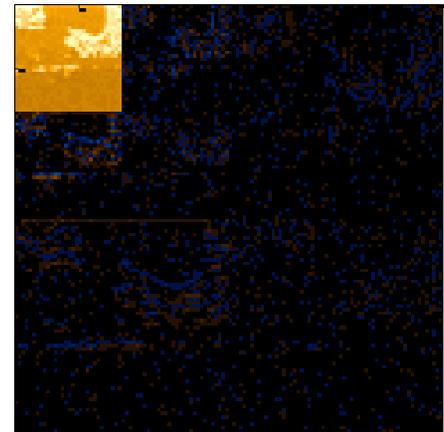
b)



c)



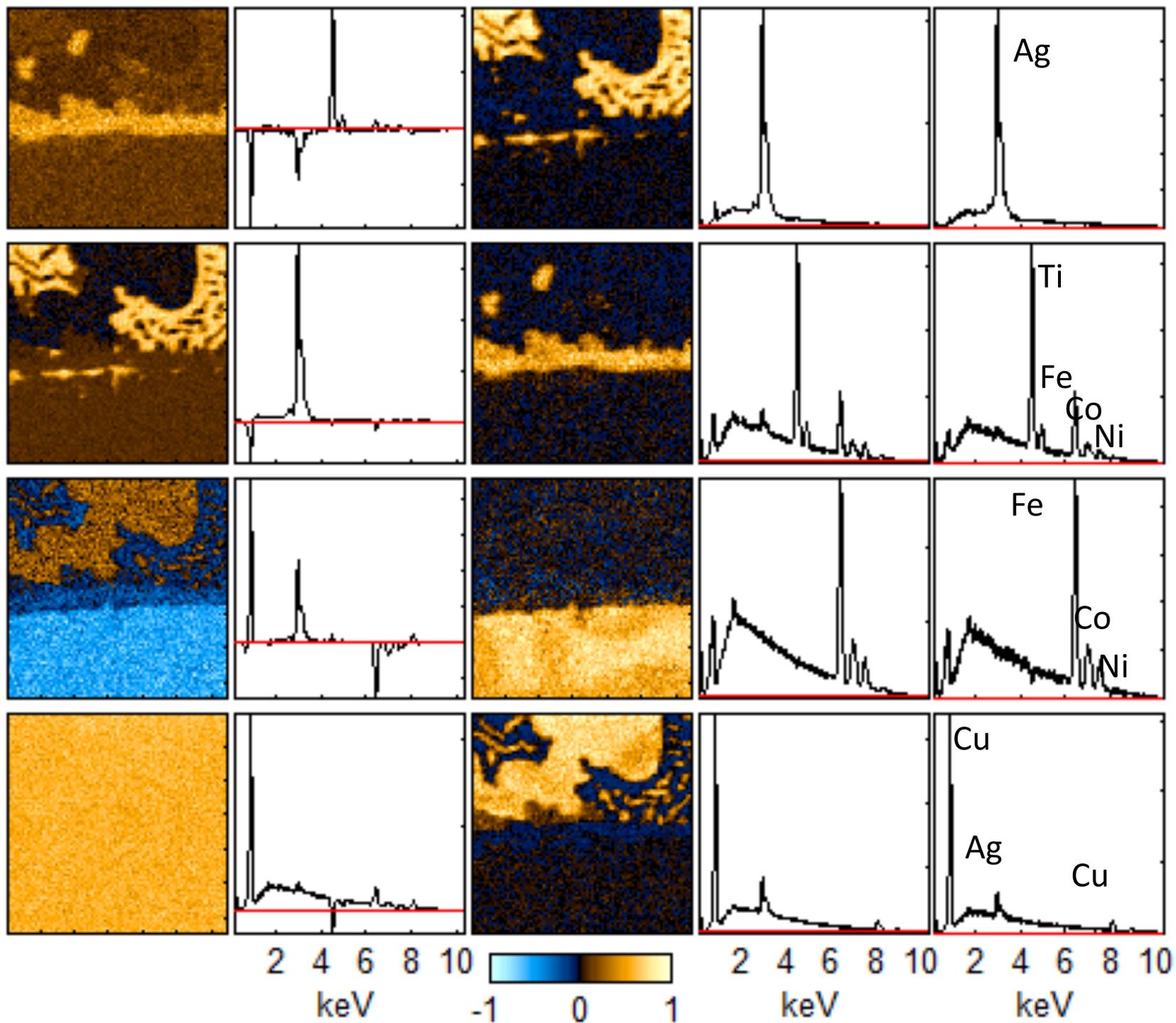
d)



a) ICA original spectra

b) ICA wavelet data

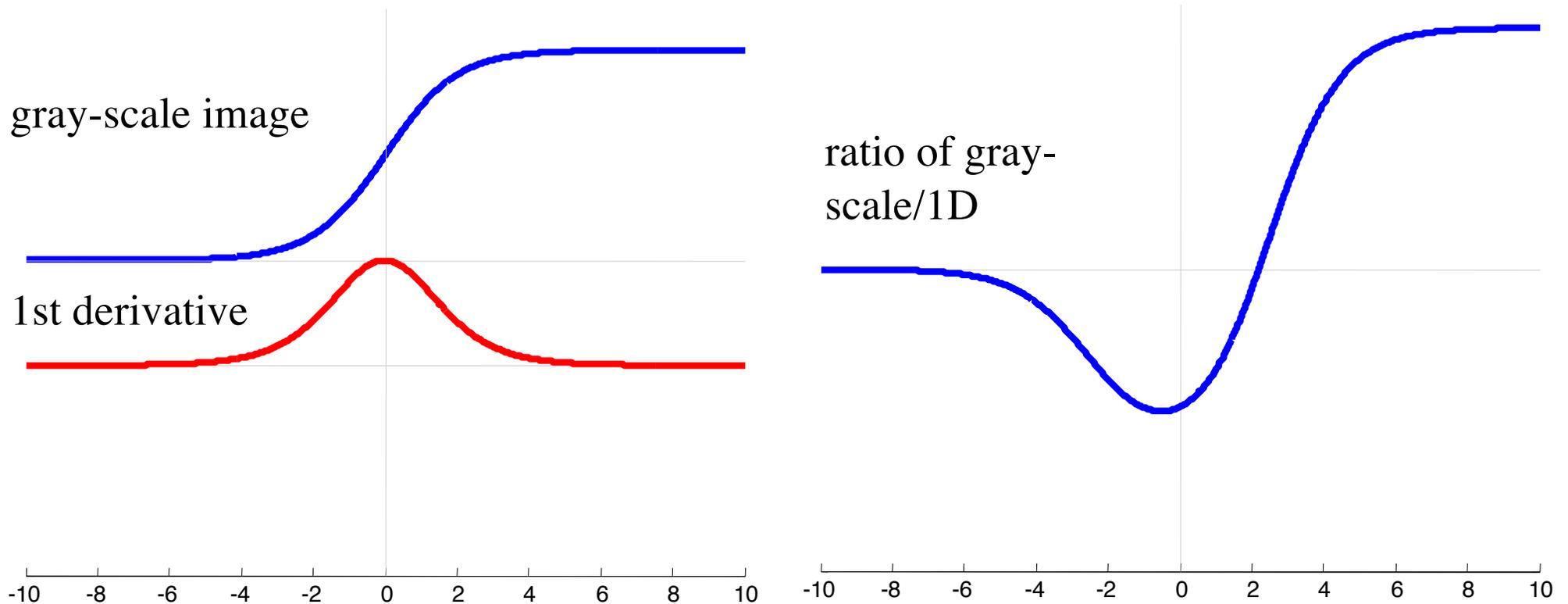
c) Reference spectra



# Other Ways of Focusing on Variance of Interest

- Maximum Autocorrelation Factors – find variance with spatial correlation
- Maximum Difference Factors – find variance with spatial transitions (multivariate edge detection)
- Clutter filters– ignore variance from specified regions

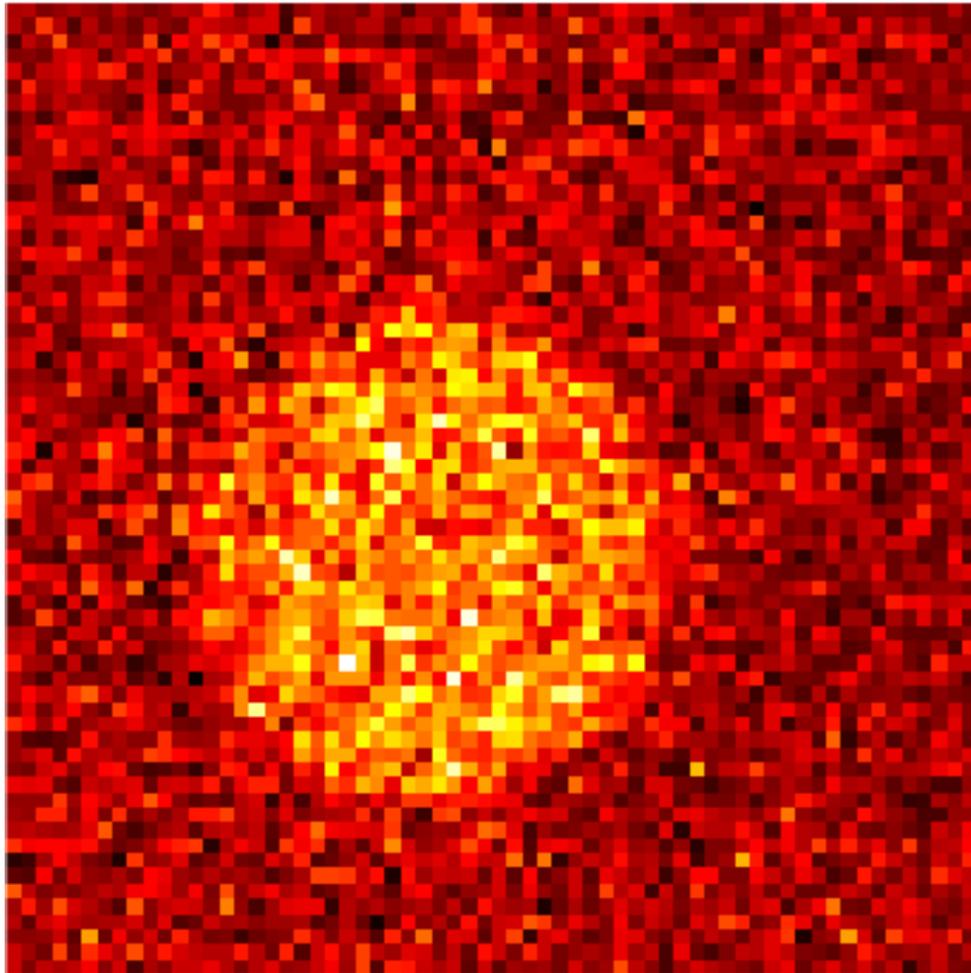
# MAF



MAF finds locations in the image where the ratio of gray-scale to first derivative is a maximum

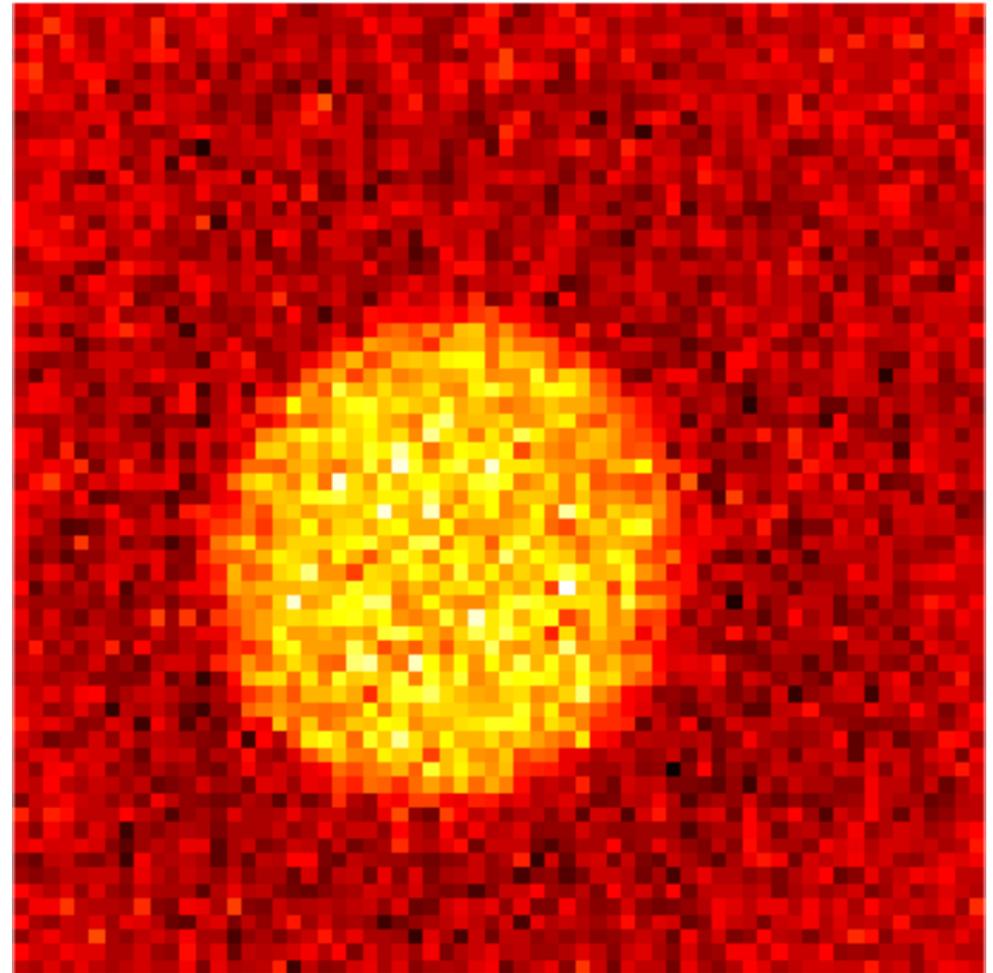
# MAF on SIMS Image of PVA

Image of Scores on PC 1 (10.03%)



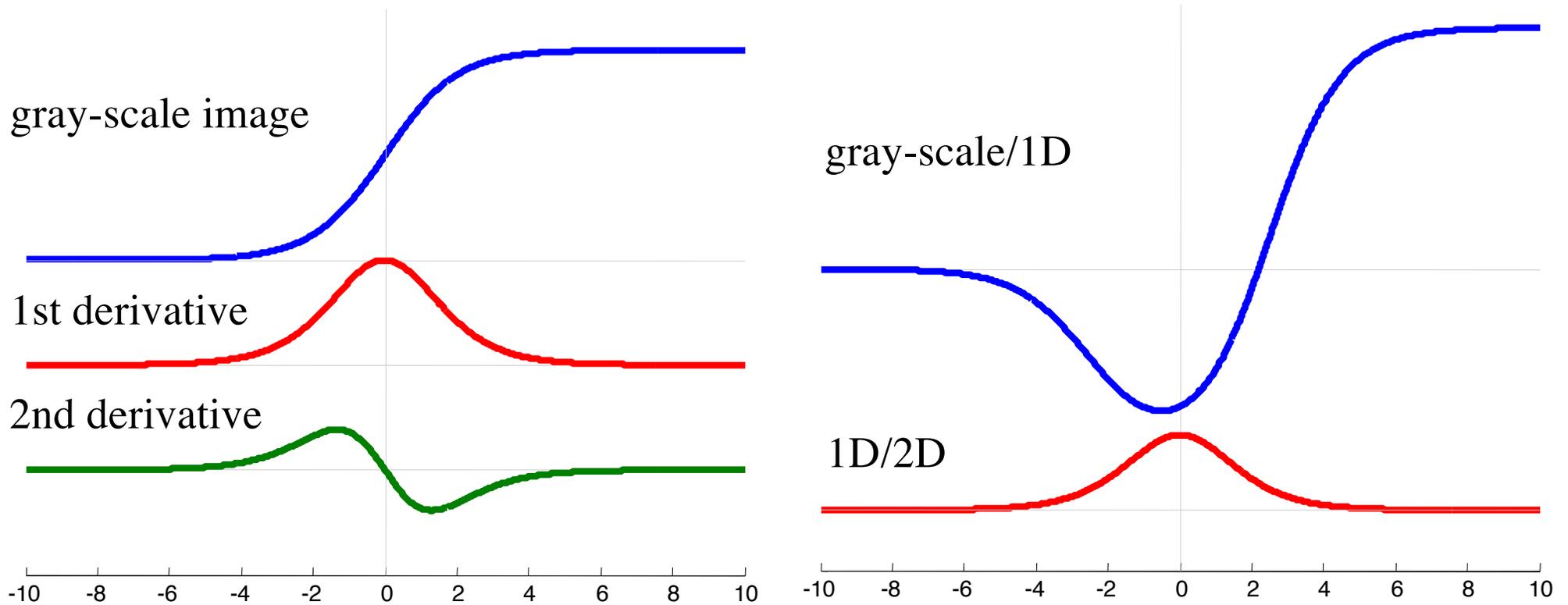
PCA

Image of Scores on PC 1 (1.81%)



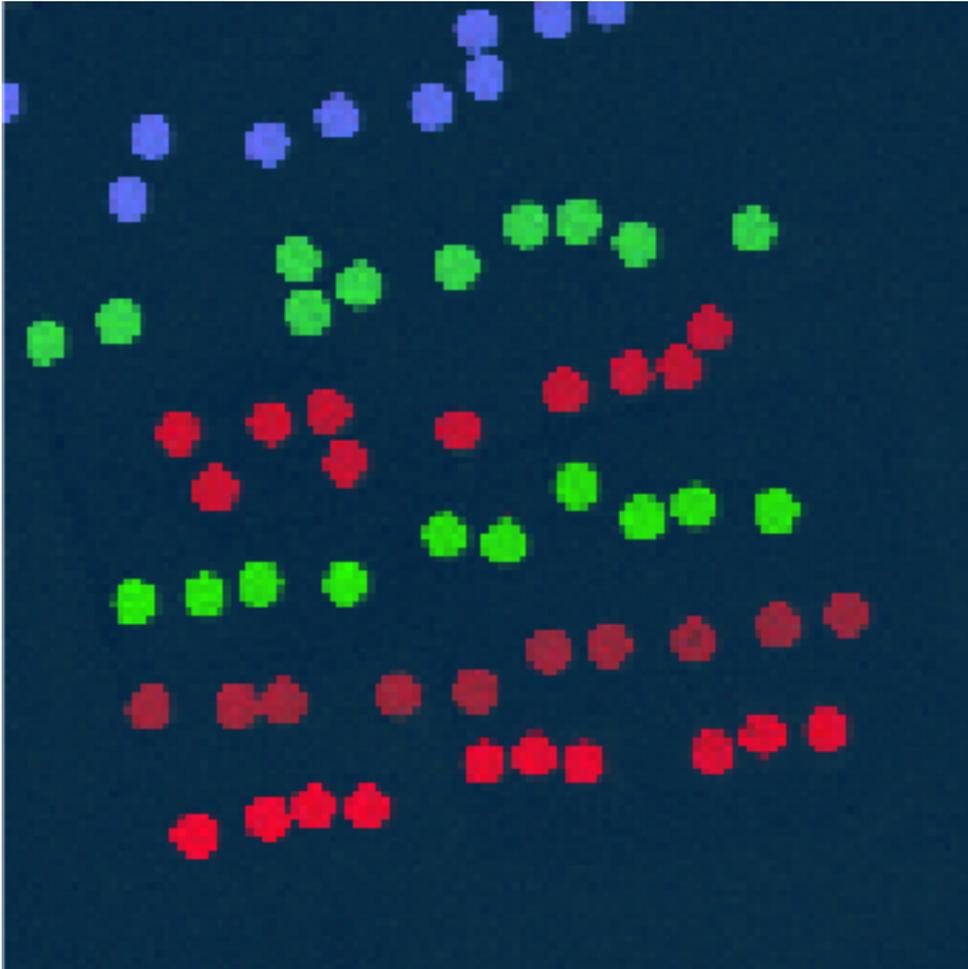
MAF

# MDF

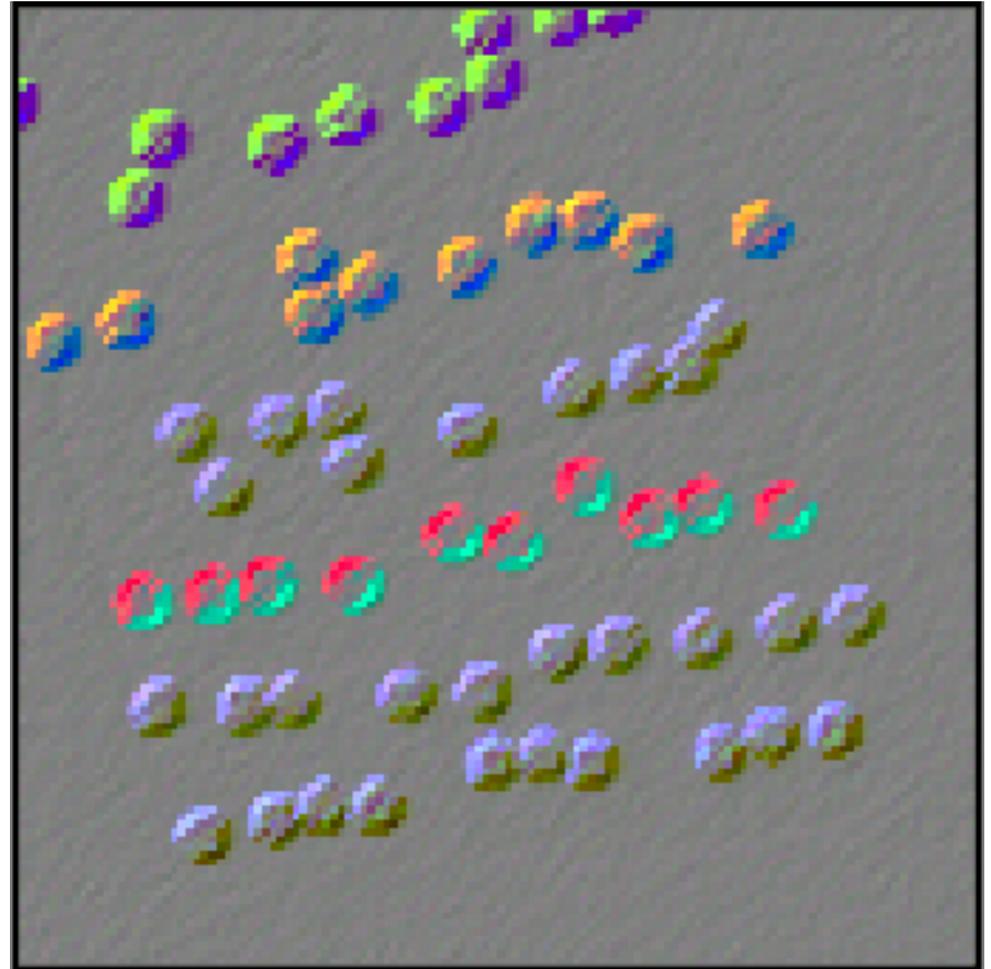


MDF finds locations in the image where the ratio of first to second derivative is a maximum

# MDF on EDS of Wires



PCA



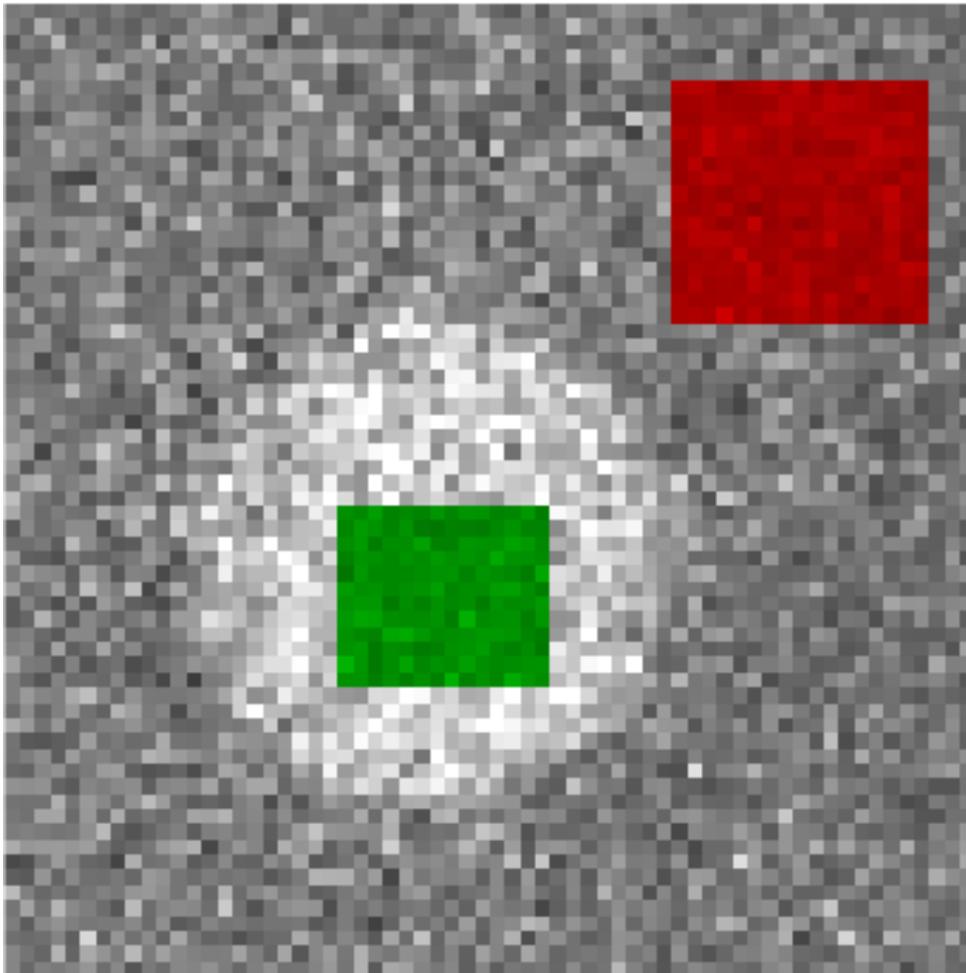
MDF

# Clutter Filters

- Define areas where only variance is due to noise or other unwanted variation
- Develop filter to minimize this variance
  - Generalized Least Squares (GLS) Weighting
    - Inverse square root of clutter covariance
  - External Parameter Orthogonalization (EPO)
    - Project out first PCs of clutter covariance

# Define Clutter Areas

Image of Scores on PC 1 (10.03%)



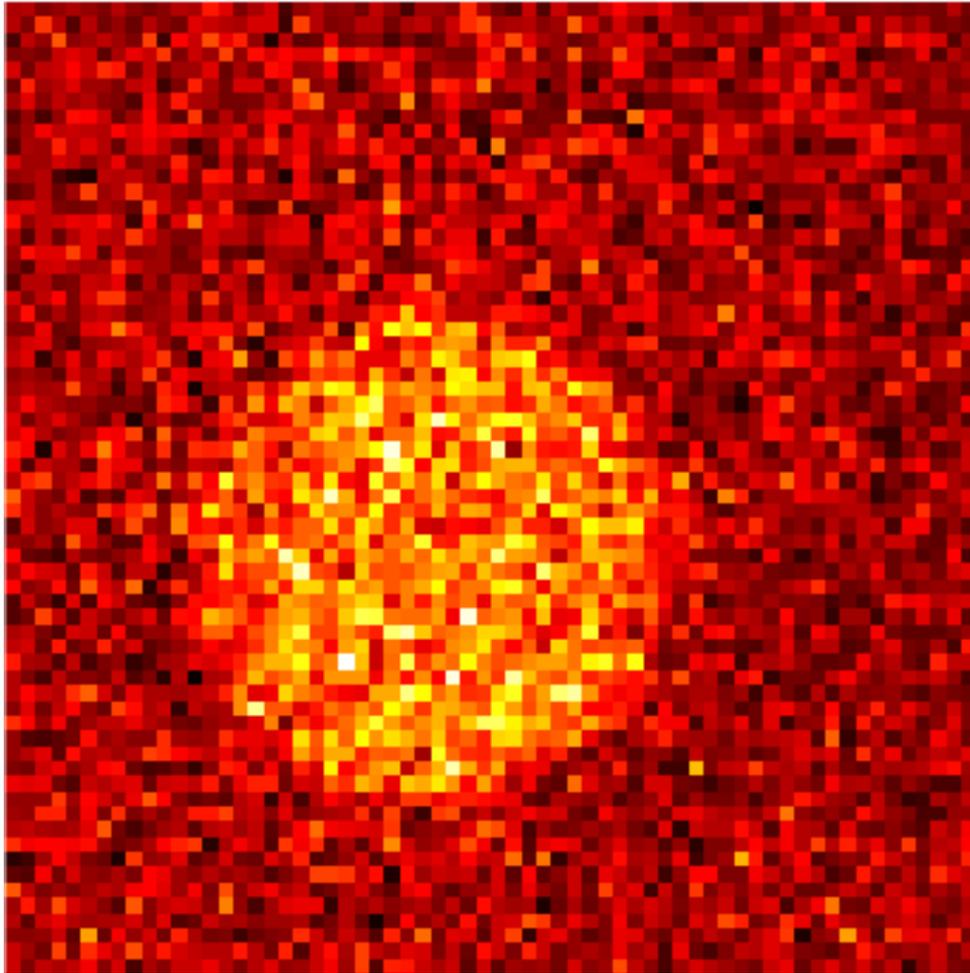
Only variation in marked areas is due to “noise”

Center each area to its own mean, then combine areas

Develop GLS weighting from combined areas

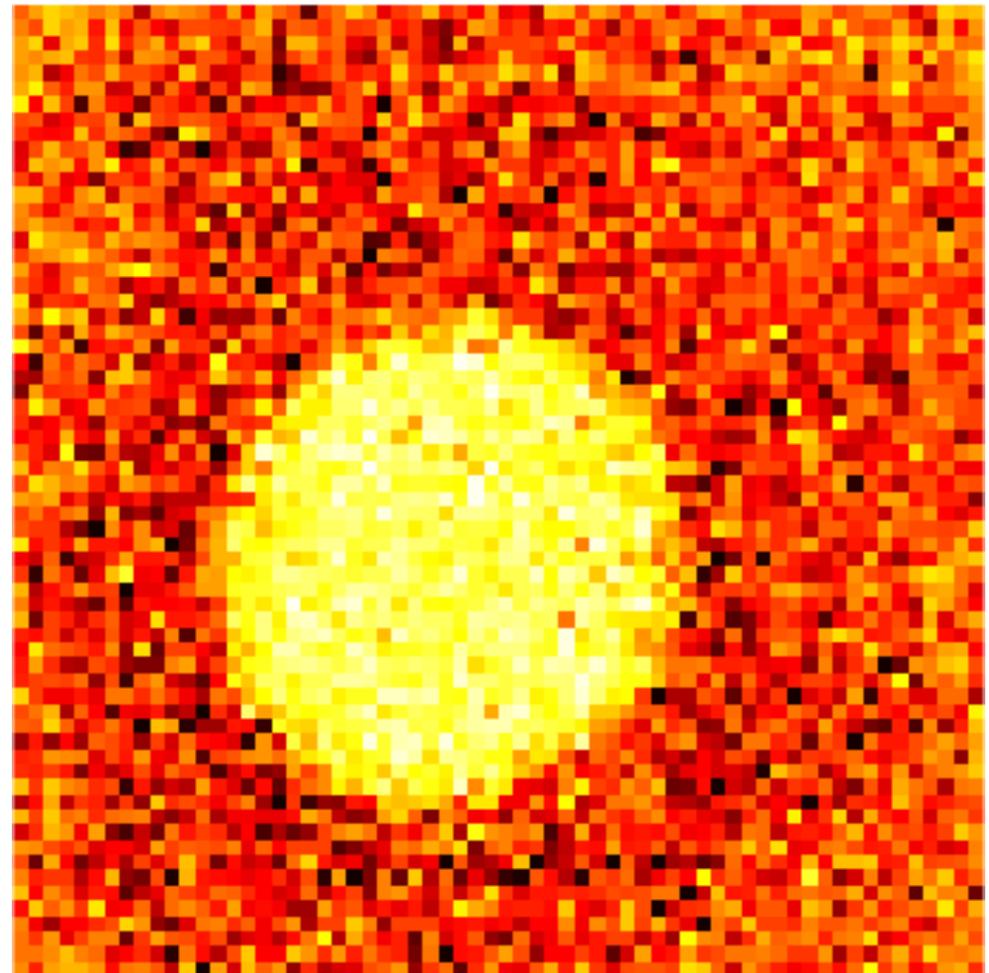
# GLS Filtered PVA

Image of Scores on PC 1 (10.03%)



PCA

Image of Scores on PC 1 (3.25%)



PCA with GLS

# Conclusions

- Many ways to increase the contrast in multivariate images
- Method of choice depends on what features are to be emphasized
  - Spectral contrast
  - Image contrast
  - Continuous areas
  - Edges
  - Specific analytes

# Tools Readily Available

- PLS\_Toolbox & MIA\_Toolbox
  - for MATLAB users
- Solo+MIA
  - stand-alone for
    - Windows
    - Mac
    - Linux

# Acknowledgements

- Thanks to Mike Keenan for data sets and useful discussions
- Eigenvector software team